

SHORT NOTES

CHAPTER

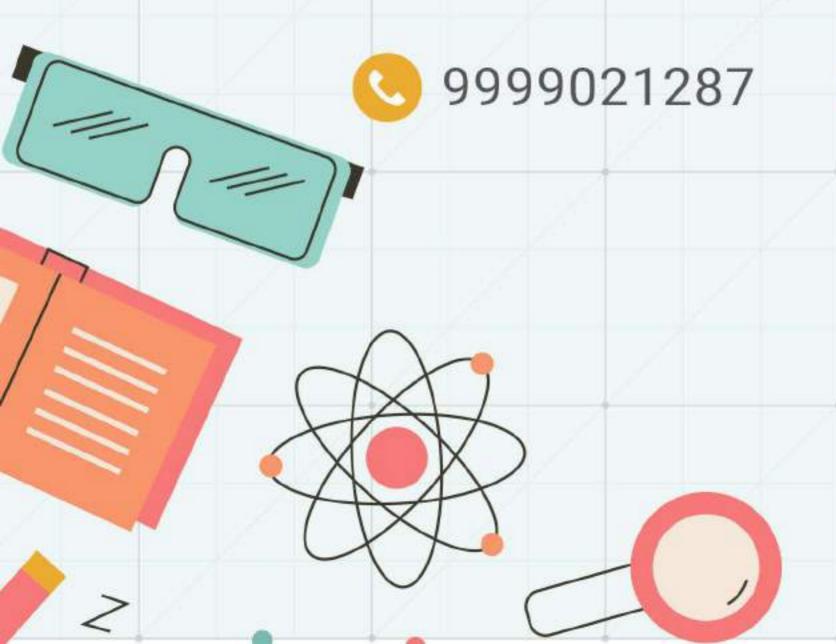
Sounds

Available at:



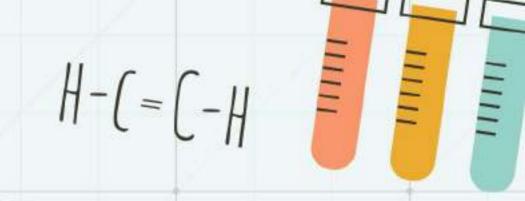


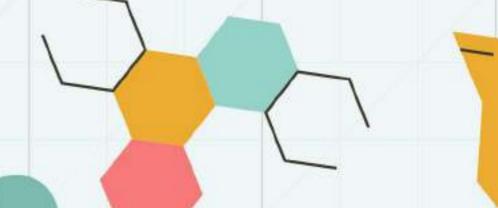






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SOUNDS

- -> Sound waves travel through any material medium with a speed that depends on protesses of medium.
- Through air, dements of air vibrate to produce changes in density a pressure along the direction of motion of wave.

Normal atmosphere

density increases

(longitudinal wave)

partion

If Vibration is of sinusoidal or say SHM $\Delta b = \Delta b_{max} Sin \left[w(t-x/v) \right]$

△pmax → maximum change in pressure above normal
pressure



Speed of sound wave

-> Speed of sound depends on Compressibility and density of medium.

$$V = \sqrt{\frac{B}{S}} \frac{Z}{Z} \rightarrow bulk modulus$$

> Speed of all mechanical wave:

e.g. for spstoing V= / I z line as density

for rod,
$$V = \sqrt{\frac{1}{S}} \times \frac{1}{2} \times$$

NEWTON'S Formula:

Newton considered compression & Rasefouction as isothermal process





$$-p = \frac{\Delta p}{\Delta V/V}$$



Laplace's Correction.

- laplace pointed that contraction & Rase traction for sound travel one actually adiabatic.

$$\frac{dp}{dp} = \frac{\Delta p}{(\Delta V)} = B$$

$$7 = \sqrt{\frac{B}{S}} = \sqrt{\frac{3}{P}}$$

Henre agreement with experimental value



As
$$pV = nRT = \frac{m}{M}RT$$

Zimolar mass

Henre P is lonstar

is lonstant, so changing pressure will not speed of sound.

in gas

Effect of density:

two gases. With same pressure P but different densities P, & P2 & 8, 82

So,
$$\frac{\sqrt{1}}{\sqrt{2}} = \sqrt{\frac{8}{8}} \frac{92}{91}$$

Effect of Temperature:

As,
$$pv = nRT$$

$$pv = mRT$$

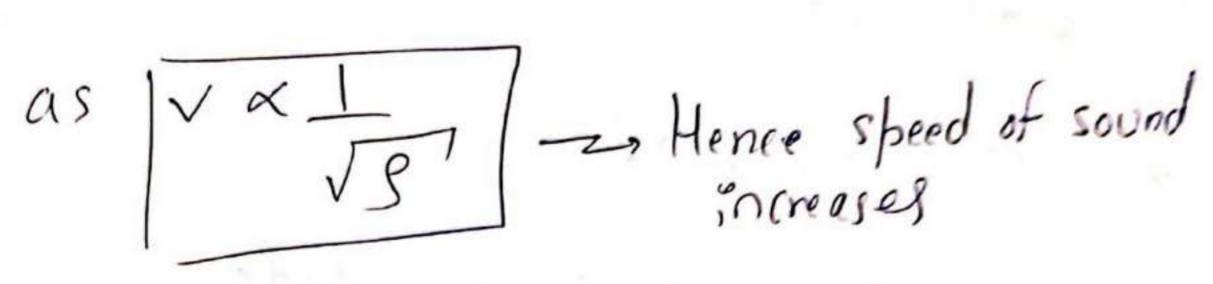
$$m$$

$$\frac{P}{S} = \frac{RT}{M}$$



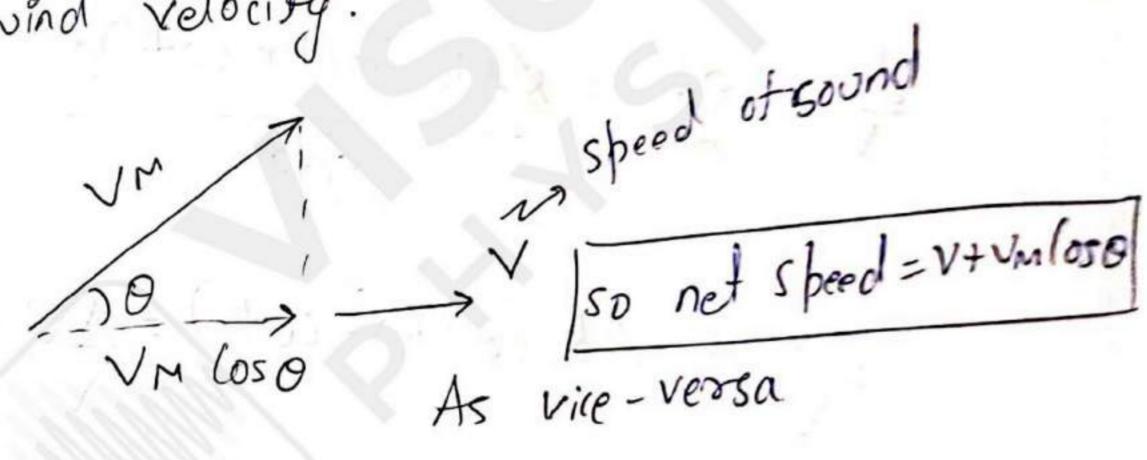
Effect of Homidity:

-> Increase in Humidity, the donsity of air decreases



Effect of wind:

As sound is carried by air, so its speed is offected by the wind velocity.



7 S= Cross - section Area. pressure Wave ! ytdy

x+dx



y = A Sin (kx-wt)

amplitude of posticles
disturbance in posticles
position

dy = Ak (os(Kx-wt) dx

dV = + Sdy = + SAK (os(kx-w+)dx

Volume of section AB is:

V= sdx

dv = dy = &AK (os(kx-wt)dx

dv = Ak (os(kx-wt) = Av -

 $\Delta b = -B(\Delta V) = -BAk(os(kx-wt))$

1 Ab = -Apmax los(kx-wt)

Domax = BAK

Maximum change in hormal pressure atmosphanic pressure

pressure wave is
out of phase by
tt/2 to displacement

Intensity:

The rate at nihich energy transported by the wave transfers through a unit Area 'A' perpendicular to the direction of travel of mave.

=> T - bower Tooss section Area

i.e. $I = \frac{\text{power}}{\text{power}} = \frac{\text{Energy/time}}{\text{Section}}$ (noss, - Area section section

As we know from mechanical waves nature bower transmitted = 1 uw2A2V

U= mass Jength

Son $J = \frac{1}{2} \frac{u \omega^2 A^2 V}{A req}$

Areax long the volume

= 19 V (WA)2



OS:
$$\Delta \beta m = ABk$$
 $A = \frac{\Delta \beta m}{Bk}$
 $I = \frac{1}{2} \beta V \omega^2 \left(\frac{\Delta R_m}{Bk} \right)^2 = \frac{1}{2} \beta V \omega^2 \frac{\Delta \beta_m^2}{B^2 k^2}$

OS $k = \omega / V$
 $B = V^2 \beta$
 $Also, for a source emitting bower in all direction

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prequency -> number of cycled por second bitch -> Brain Interprets frequency primarily in terms of a subjective quality called pitch.

Sound level in decibels: __ measure sound loudness

B= lolog (I)

Io -> reference intensity, 1×10-12 W/m2

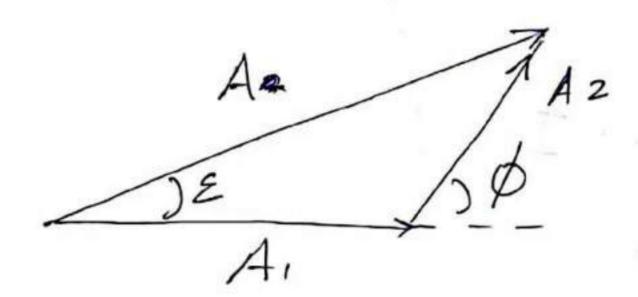
So $\beta_1 = 10 \log \frac{I_1}{I_0}$ $\beta_2 = 10 \log \frac{I_2}{I_0}$ $\beta_1 - \beta_2 = 10 \log \left(\frac{I_1}{I_2}\right)$

-> study shows whe need earplugs if sound level exceld 90 dB.



In fer ference:

As discurssed in mechanical waves, sound waves Interfere in same way.



$$A = \sqrt{A_1^2 + 2A_1 A_2 \log \phi} + A_2^2$$

$$\tan \varepsilon = \frac{A_2 \sin \phi}{A_1 + A_2 \cos \phi}$$

let's have two Coherent sources of sound.

Same fre quency

Thase' difference does not changes with time.

⇒ φ.(t) - β2(t) = Δiβ(t) = (onstant

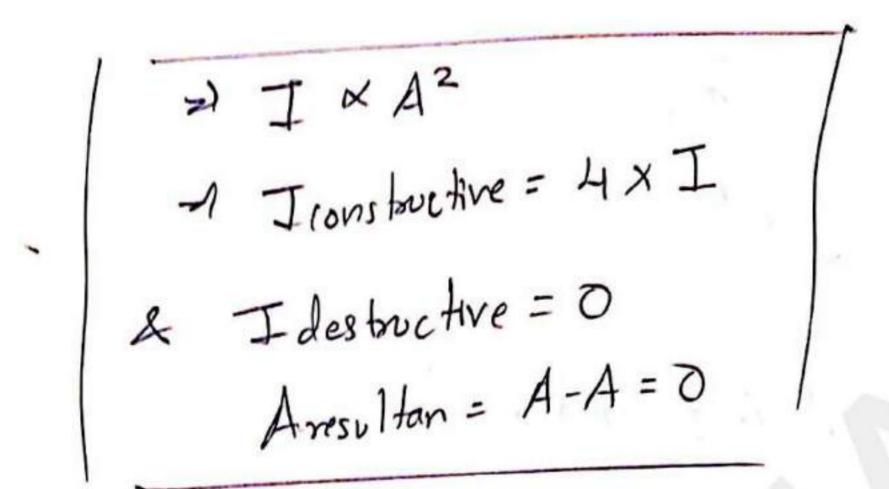
path difference

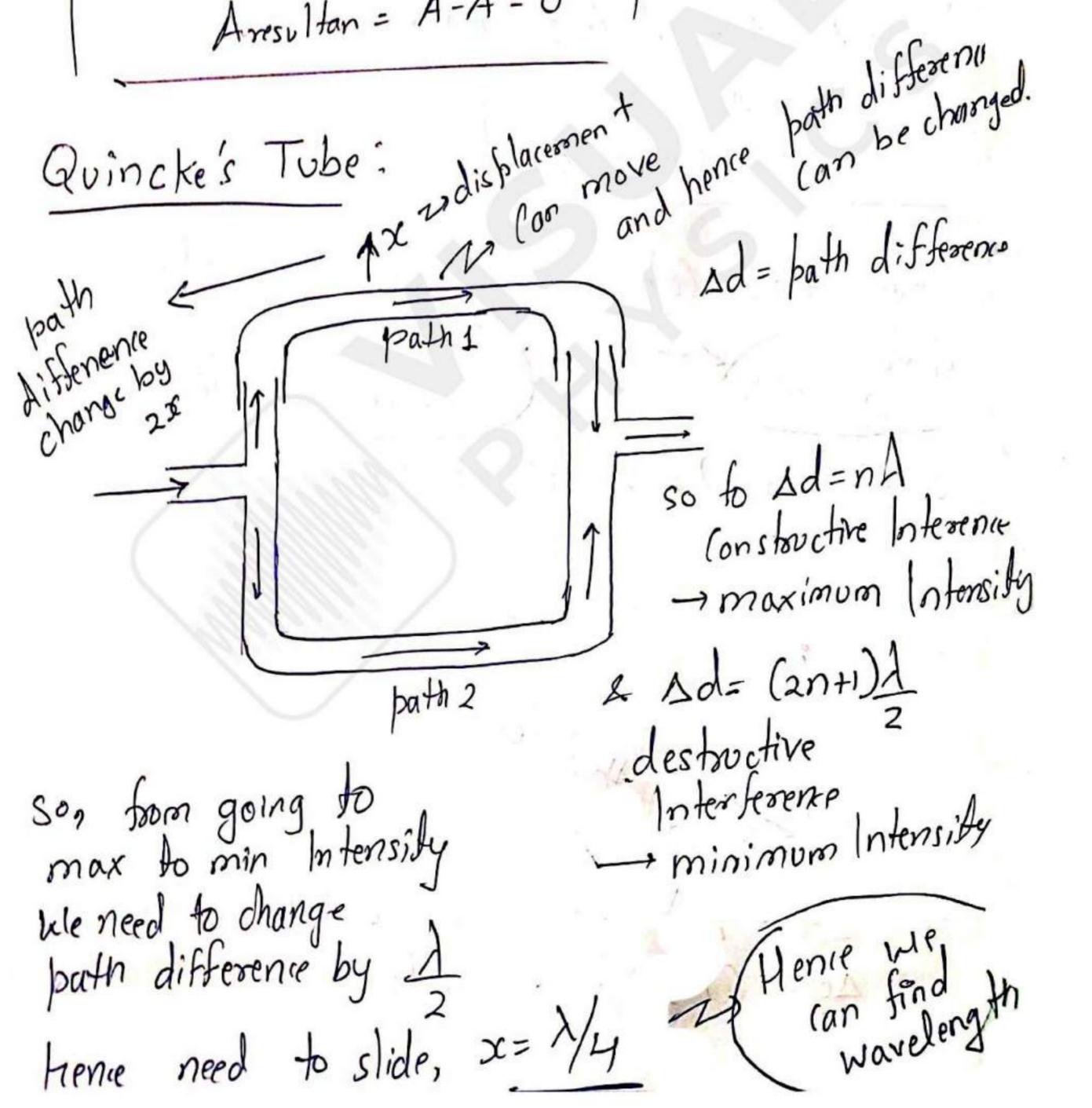
so if $\Delta d = n\lambda \rightarrow constructive Interference$ $\Delta d = (n+1)\lambda \rightarrow destructive Interference$





so, for constructive intersference
Amplitude = 2A (if both source produce wave of A, amplitude)







Harmonies:

As In previous Mechanical waves chapter, we set up standing waves on string i.e. transverse waves

here we can set up standing waves in blumn or bay air column.

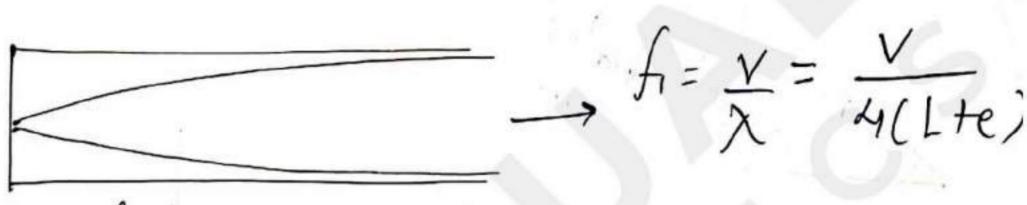
in antinode situated is like e=0.68 pipe is like

so for one end closed fundamental mode:

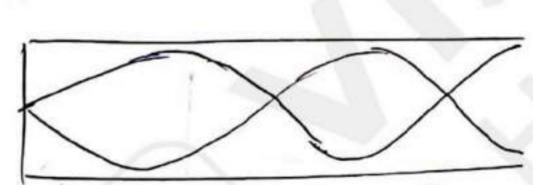
L+e=
$$\frac{\lambda}{4}$$

 $f = \frac{V}{\lambda} = \frac{V}{4(L+e)} \rightarrow first hormonic$

now next possible standing wave.



first harmonic



$$3^{rd}$$
 harmonic
 1^{st} overtone.
 $f_3 = 3f_1 = 3 \text{ Y}$.
 $4(Lte)$

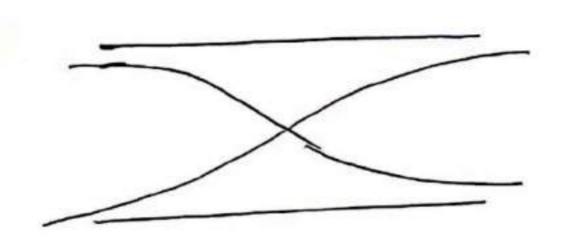
$$f_5 = 5f_1 = 5v$$

$$4(L+e)$$

$$-2nd overton$$

So for pipe closed at one end, only odd harmonx Can set up.

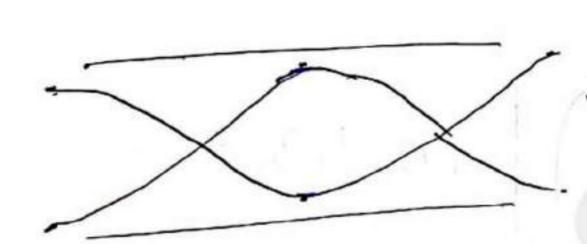
$$f_n = n \frac{V}{4(L+e)}, n=1,3,5...7$$



$$\lambda = 2(2+2e)$$

$$\int_{1}^{\infty} = \frac{V}{2(L+e)}$$

4 first harmonic



$$2\left(\frac{\lambda}{2}\right) = L + 2e$$

$$\lambda = 1 + 2e$$

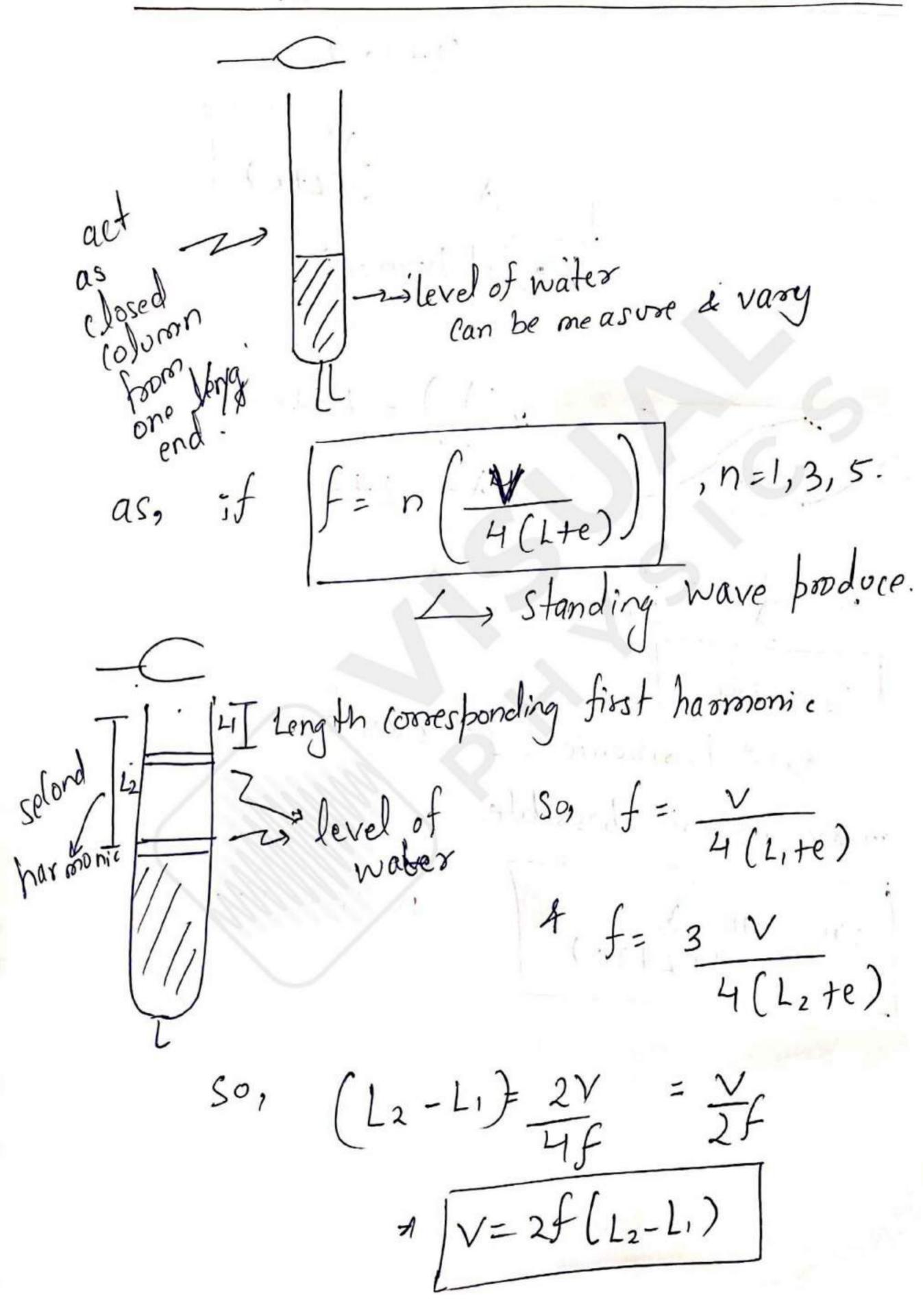
$$\int_{2}^{2} = \frac{V}{\lambda} = \frac{V}{1+2e}$$

$$\int_{2}^{2} = 2f_{1}$$

harmonics are possible.

$$\int_{2(L+2e)}^{\infty} f_n = n \frac{\sqrt{-1}}{2(L+2e)}$$

Resonance Column method to measure speed of sound





-> when two wavel of slight different frequency Interfere. as k= w

let y = Asinw. (t - 2)

 $g = A \sin \omega_2 \left(t - \frac{\alpha}{1} \right)$

y net = y, +y2

Ynet = Asin w. (t-x) + Asin 62(t-x)

As speed 'V' remain same.
Les depends on medium porpenty.

Yret = A [Sin w. (+-=) + Sin w2 (+-=)]

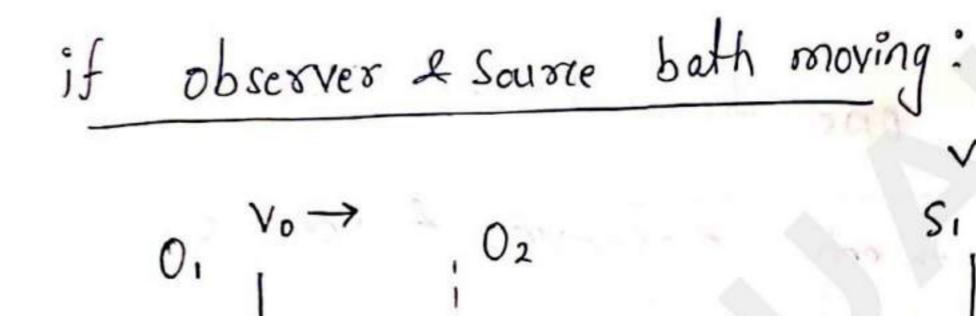


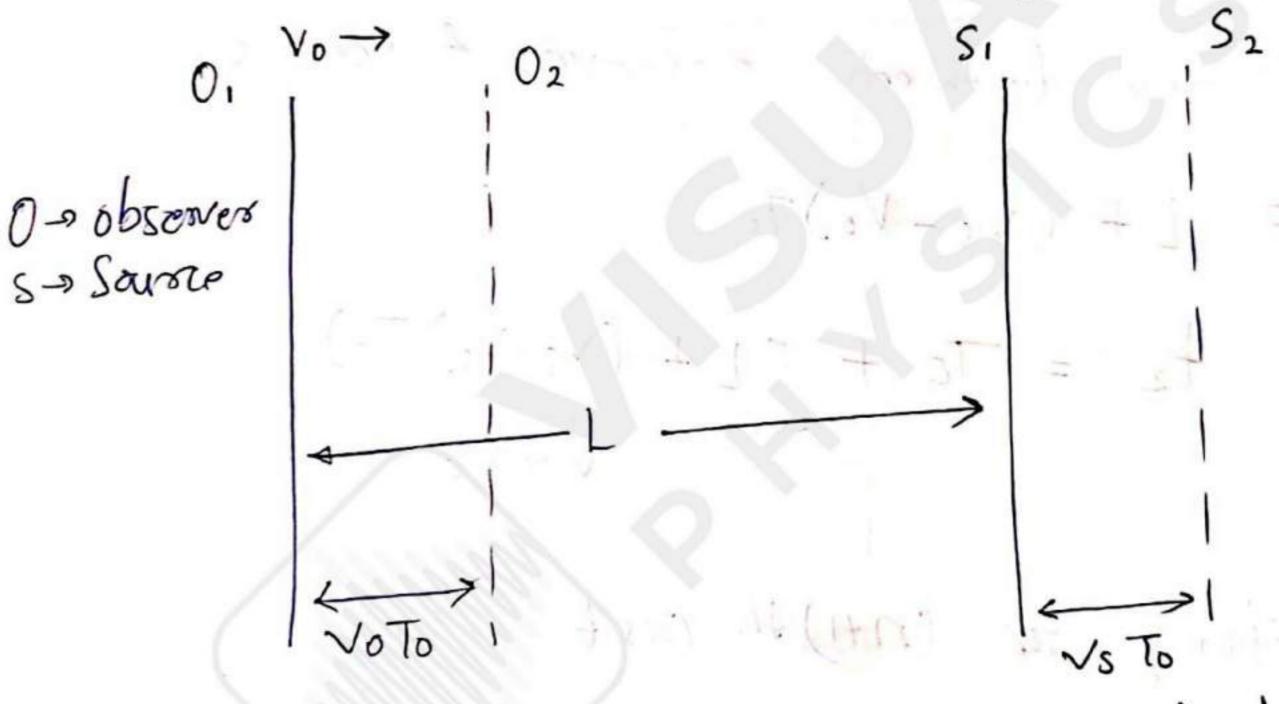
hence, represent frequency time varying of Signal of Amplified. begrenry hide -, beat frequency only when with wind with Very Jose to each We Can't relognize beats às for waves having different bequencies



Doppler Effect:

-> When their is relative motion between sound source 2 observer, the frequency heared will be different than the frequency produced by Source.





Vo - observer velocity, vs -> Source velocity.

Vo - velocity of sound.

Vo - velocity of sound.

To -> time period of wave

To -> time period of wave

for frequency of sound produce
by source



L. Distance between 0,25, at t=0

now speed of sound relative to observer

so fine to reach first crest = L (V+Vo) = t,

now after one time possiod, To

distance between observer & source

So,
$$f_2 = To + [L + (V_S - V_o) To)$$

Similarly for (n+1) th (ses t

$$\frac{1}{2} + \frac{1}{2} = \frac{1}{2} + \frac{1}{2} = \frac{1}{2} + \frac{1}{2} = \frac{1}{2} + \frac{1}{2} = \frac{1}$$

So time Interval between





so time interval between two crest means observed Time benied: T

$$T = T_0 + \frac{(v_s - v_0)}{(v + v_0)}$$

$$T = T_0 \left[1 + \frac{(v_s - v_0)}{(v + v_0)} \right]$$

I frequence,
$$f = \frac{1}{T}$$
, $fo = \frac{1}{To}$

$$f = \int_{0}^{\infty} \left[\frac{V + V_{0}}{V + V_{S}} \right]$$

A The direction from observer to source is positive.

if observer moves towards source, Vo >+ve
if observer moves away from source, Vo >>-ve
if source moves away from observer, Vs >> +ve
if source moves away from observer, Vs >> -ve
if source moves toward observer, Vs >> -ve



so if observer is stationary

$$\int f = \int \int \frac{V}{V^{+}V^{s}} \int \int \frac{V}{V^{-}} ds$$

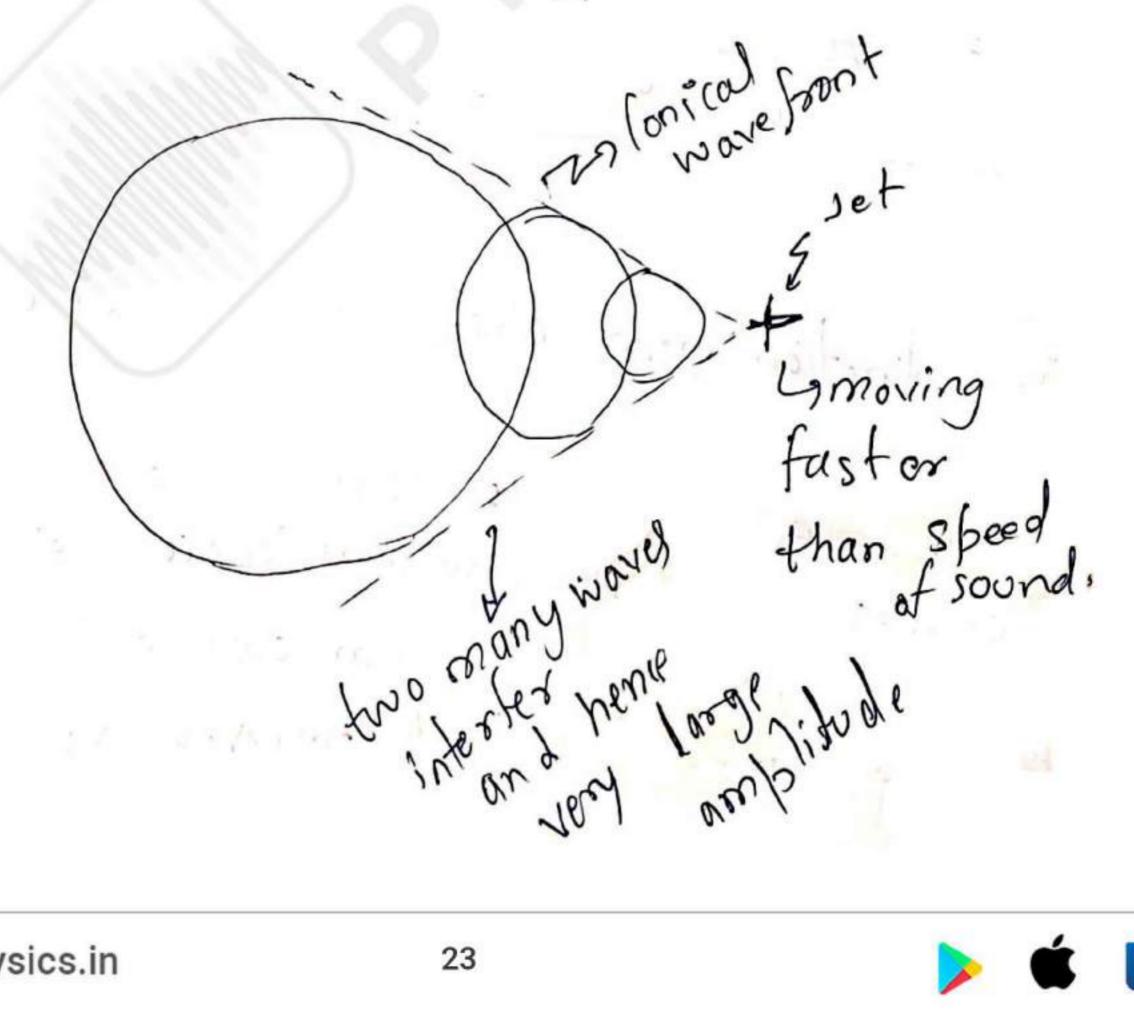
2 if source is stationary

$$\int_{1}^{3000} f = \int_{0}^{3000} \left[\frac{v + v_0}{v} \right]$$

from observer to source direction is positive

Shock Waves:

(source movekg reater speed than means





mach number = Vs

Shock waves produce because the object is moving with speed greater than speed of Sound.

Sound.

(even if it not producing any sound itself)

